



Low beam intensity

(MERIT beam spot size - part II)

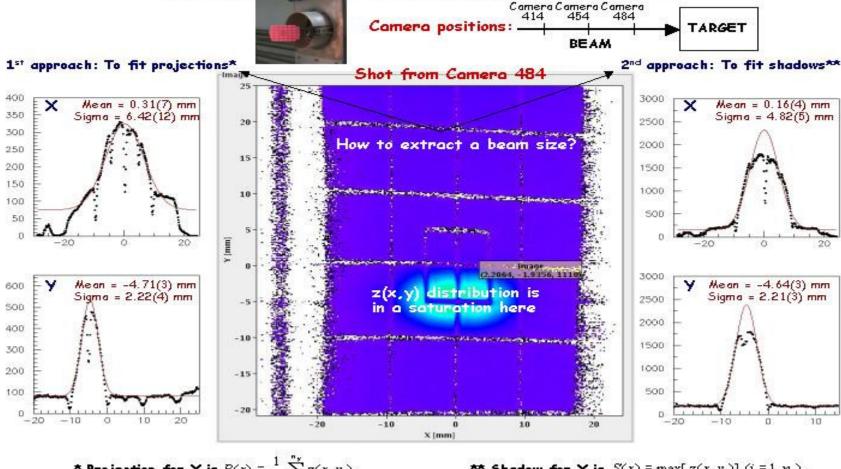
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Reminder: Idea and Procedure

We have 3 beam 'cameras' -> 3 images for every beam pulse



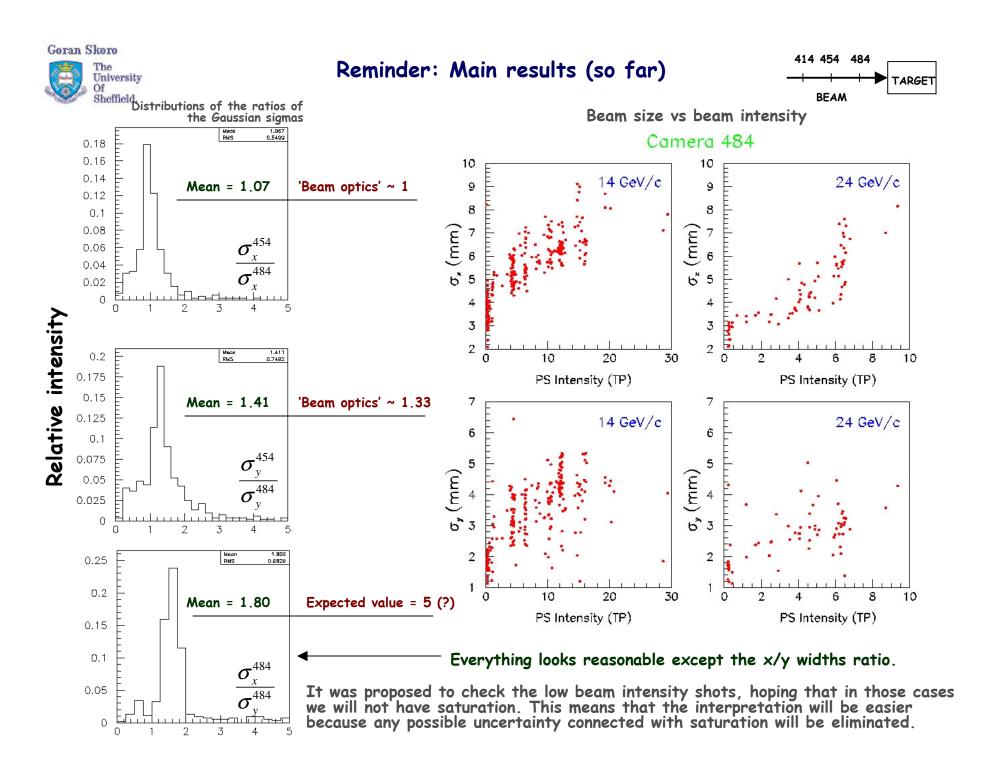
* Projection for X is $P(x) = \frac{1}{n_i} \sum_{i=1}^{n_y} z(x, y_i)$, similarly for Y.

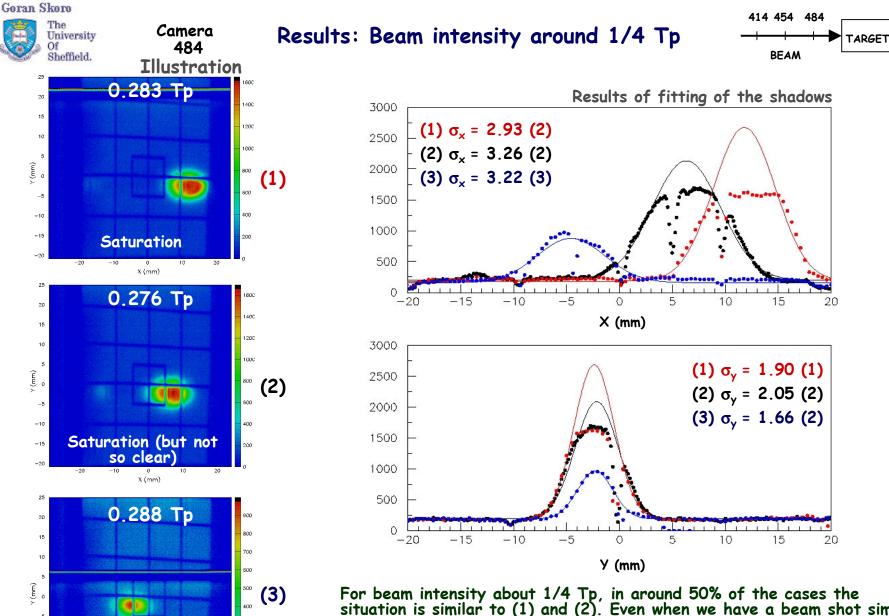
** Shadow for X is $S(x) = \max[z(x, y_i)], (i = 1, n_j),$ similarly for Y.

Simple fitting function: Gaussian + 'background'

Fitting algorithm (how to avoid gaps; how to choose initial value of the 'background' term, etc...) was based on the analysis of the 15-20 randomly selected images (after this, completely 'blind' analysis -> no parameters tuning)

In total: 520 beam pulses* x 3 cameras x 2 projections = 3120 distributions have been fitted





-10 -15

'Proper' Gaussian

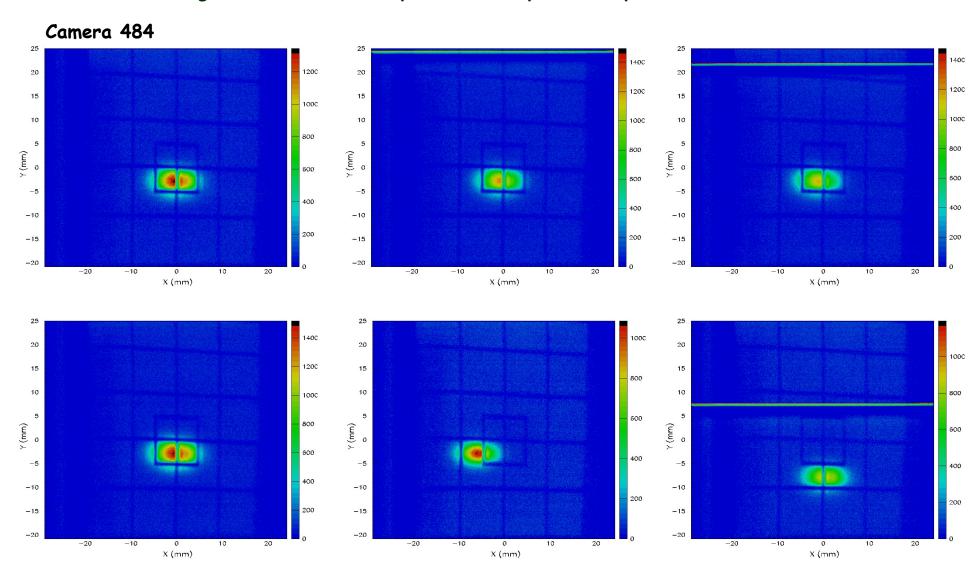
situation is similar to (1) and (2). Even when we have a beam shot similar to case (3) the x/y widths ratio is close to 2. The plot above shows the results of the fitting of these 3 distributions.

The interesting fact is that in the case (3) we have the highest value of the beam intensity and the camera response does not reflect this.

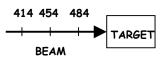
Results: Beam intensity below 0.2 Tp



There are a dozen shots (23 Oct 2007) where beam intensity is below 0.2 Tp. The distributions (few examples are shown below) look like fine double-Gaussians for almost all shots. But, again, it can be seen by the naked eye that x/y widths ratio is around 2.

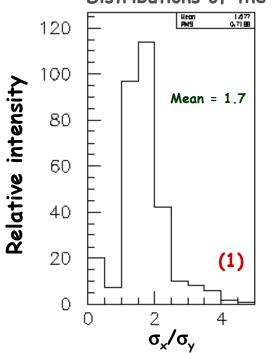


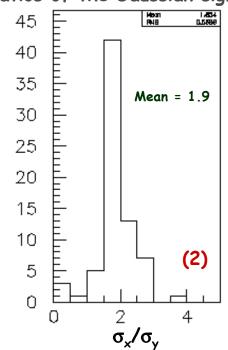
Results: Summary

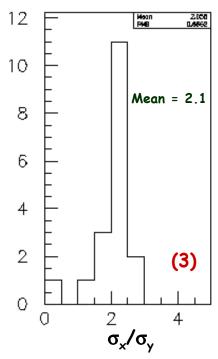


Camera 484

Distributions of the ratios of the Gaussian sigmas







- (1) Beam intensity higher than 0.3 Tp
- (2) Beam intensity between 0.2 and 0.3 Tp
- (3) Beam intensity lower than 0.2 Tp



Results: Appendix



Beam size vs number of bunches

